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## Proportional Situations

## Direct Proportionality

- Any situation involving $\qquad$ ratios or rates is a $\qquad$ proportional situation.
- In the $\qquad$ of a direct proportional situation, the numbers in the first row (or column) -Variable $x$ - and the second row (or column)-Variable y form $\qquad$ .


## Example:

Table of values of a proportional situation:

Salary according to the number of hours worked.

| x: Time (h) | 0 | 2 | 3 | 5 | 8 |
| :--- | :--- | :--- | ---: | ---: | ---: |
| $y:$ Salary (\$) | 0 | 8 | 12 | 20 | 32 |

Salary according to the number of hours worked.

| $\boldsymbol{x}$ | $\boldsymbol{y}$ <br> Time $(\mathbf{h})$ |
| :---: | :---: |
| 0 | 0 |
| 2 | 8 |
| 3 | 12 |
| 5 | 20 |
| 8 | 32 |

- We obtain the numbers in the second row by multiplying each term of the first row by a constant called the $\qquad$

In the above example the salary is directly proportional to the number of hours worked.
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- A direct proportional situation is represented graphically on a graph by a
$\qquad$ that passes through the $\qquad$ .

- The $\qquad$ for a direct proportional situation is of the form $y=a x$ where $\qquad$ represents the coefficient of proportionality.


## Inverse Proportionality

- In an $\qquad$ situation, the product of the independent variable ( $x$ ) and the dependent variable ( $y$ ) remains $\qquad$ .
- An inverse proportional situation is represented graphically by a $\qquad$ that $\qquad$ approaches the $\qquad$ . See example on p. 43 in your WB.

When $x$ $\qquad$ $y$ $\qquad$ .

- The $\qquad$ of an inverse proportional situation is

